Solutions

2.1

- The joint distribution, into per-node CPTs given parents ✓.

2.2

- $P(D) = 0.8 \times 0.3 + 0.1 \times 0.7 = 0.24 + 0.07 = 0.31$ ✓.

2.3

- Dropping the normaliser; swapping $P(C \mid S)$ with $P(S \mid C)$ (the prosecutor's fallacy) ✓.

3.1

- $P(C \mid D)P(D) = 0.6 \times 0.31 = 0.186$ ✓.
- $P(C \mid \neg D)P(\neg D) = 0.05 \times 0.69 = 0.0345$; $P(C) = 0.2205$ ✓.
- $P(D \mid C) = 0.186/0.2205 = \mathbf{0.844}$ ✓.
- $P(S \mid C) = 0.49 \times 0.3/0.2205 = 0.667$ – the complaint implicates Delay more than Storm ✓.
- They do not sum to 1: S and D are not mutually exclusive exhaustive answers – D hides inside both S-branches ✓.

3.2

- $P(C) = 0.49 \times 0.03 + 0.105 \times 0.97 = 0.11655$ ✓.
- $P(S \mid C) = 0.0147/0.11655 = \mathbf{0.126}$ (from 0.667) ✓.
- Changed most: $P(S \mid C)$ – the rare cause loses the most belief, collapsing to one-eighth ✓.
- Screening reading: a rare disease with a decent test still yields most positives being false at low prevalence – design for high specificity or test twice ✓.

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