

10.1 Quantitative response formats: all valid values and numerical entry

Name: _____ Class: _____ Date: _____

KEY WORDS candidate solution • rounding

Objective

Select every allowed answer without assuming a fixed number; State numerical answers in the requested representation and unit; Use estimation and substitution to verify a computed response.

Original public tasks and locally authored marking guidance. No official score is assigned.

1 Key knowledge and worked examples

candidate solution : A value produced by a solving step that still needs checking.

rounding : Reporting a value at a stated precision after calculation.

Read the response instruction before calculation. Select-one asks for one option; select-one-or-more can require several; Numerical Entry has no options to cue an approximate answer. Identify restrictions such as integer, positive or rounded to a stated precision. In select-all tasks, test every option against those restrictions.

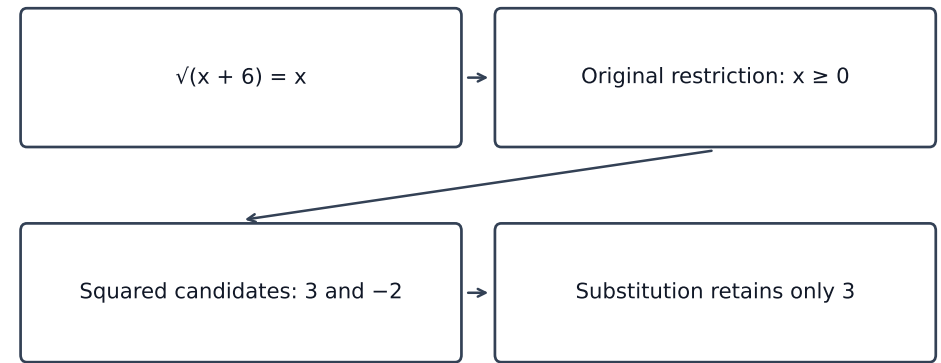
Solving a transformed equation yields candidates. A denominator restriction or a sign requirement in an unsquared radical can remove one. Substituting into the original is more reliable than recognising a familiar-looking list of roots. For inequality options, test the strict or inclusive boundary as written.

A requested fraction and a requested decimal require different entry forms. Equivalent fractions are accepted in official Numeric Entry; simplify if needed to fit the boxes. Apply rounding only at the end when instructed. Check units: a percentage answer 25 differs from a probability answer 0.25. The free local numerical drill below requests an exact terminating decimal; it is a teaching check, not a replacement for the official two-box fraction interface.

Estimate before using the on-screen General-test calculator and verify after entry. An implausible order of magnitude often reveals misplaced parentheses or a percent converted incorrectly. The GRE General mathematical level does not require calculus; sophisticated reasoning can still arise from elementary constraints and careful instructions.

Original select-all: x is real and $(x-2)(x+3)=0$. Choices $-3, -2, 0, 2, 3$. Select -3 and 2 , and verify each factorisation root in the original. If the stem additionally requires

$x > 0$, only 2 remains. Original numerical entry: three of eight equally likely counters are marked; enter the probability as a decimal. $P(\text{marked})=3/8=0.375$. Enter 0.375, not 37.5 (a percent value) or 3 (the count).



Square both sides, then check each candidate in the original: only 3 survives

2 Practice

2.1 Select all real solutions of $\sqrt{x+6} = x$ from $-3, -2, 0, 2, 3$. Then enter the probability of drawing one marked counter from a bag with seven marked and thirteen unmarked counters, as a decimal.

3 Exam-style questions

3.1 Select every listed integer satisfying $-2 \leq x < 4$ and $x^2 > 1$: -3, -2, -1, 0, 1, 2, 3, 4.
Then enter $7/12$ as a decimal rounded to the nearest hundredth.
