

1. Find the integral of $3x^2$ from 0 to 2.

2. Evaluate the integral of xe^x from 0 to 1.

3. For $y=2e^{(0.5x)}$, find $y(0)$.

4. Find $A(2)$ for the worked accumulation function.

5. Find L_2 for x^2 on $[0,1]$.

6. $\int \cos(kx) \, dx = (1/k)\sin(kx) + c$ for $k \neq 0$.

☐ True ☐ False

7. Area below the axis counts as negative, so a definite integral can be smaller than the total area, or even zero.

☐ True ☐ False

8. The integral of a product equals the product of its separate integrals.

☐ True ☐ False

9. An initial condition never changes the constant in a differential-equation solution.

☐ True ☐ False

10. The derivative of an accumulation function is its accumulated total.

☐ True ☐ False

1. **8.0**

An antiderivative is x^3 . Subtract its values: $2^3 - 0^3 = 8$.

2. **1.0**

An antiderivative is $(x-1)e^x$. At 1 and 0 it gives 0 and -1, so the integral is 1.

3. **2.0**

At $x=0$, $e^0=1$, so $y=2$.

4. **5.0**

$A(2)=8-4+1=5$.

5. **0.125**

The left heights 0 and $1/4$, each of width $1/2$, give $1/8$.

6. **True**

True. $\int \cos(kx) \, dx = (1/k)\sin(kx) + c$ for $k \neq 0$; when $k=0$ the integrand is 1 and the integral is $x+c$.

7. **True**

True. Area below the axis counts as negative, so a definite integral can be smaller than the total area, or even zero.

8. **False**

A product needs a method such as integration by parts or substitution: $\int x \cdot x \, dx = x^3/3$, not $(x^2/2)(x^2/2)$.

9. **False**

Euler's method depends on the step size; smaller steps usually give a more accurate value.

10. **False**

The derivative of $\int_a^x f(t) \, dt$ is $f(x)$, the integrand's value at x , not the total.