

Multiple Choice Answers

Q17: B

Q18: C

Q19: A

1(a)	rate of change of velocity
1(b)(i)	$\text{acceleration} = 320 / 20$ $= 16 \text{ m s}^{-2}$
1(b)(ii)	$s = \frac{1}{2} ((u) + v)t \text{ or distance} = \text{area under graph}$
	$(\text{height}) = \frac{1}{2} \times 20 \times 320 = 3200 \text{ m or } 3.2 \text{ km}$
1(c)(i)	$(\Delta E_P) = mg\Delta h$
	$= 2.9 \times 10^6 \times 9.81 \times 3200$ $= 9.1 \times 10^{10} \text{ J}$
1(c)(ii)	$(\Delta E_K) = \frac{1}{2} m\Delta(v^2)$
	$= \frac{1}{2} \times 2.9 \times 10^6 \times 320^2$ $= 1.5 \times 10^{11} \text{ J}$
1(c)(iii)	(power =) work done / time
	$\text{power} = ((1.5 + 0.91) \times 10^{11}) / 20$ $= 1.2 \times 10^{10} \text{ W}$

6(a)	(a particle that) cannot be divided / subdivided (into smaller particles)
6(b)(i)	any combination of one quark and one antiquark
	up / charm / top and antiup / anticharm / antitop or down / strange / bottom and antidown / antistrange / antibottom
6(b)(ii)	$E_{(K)} = \frac{1}{2} mv^2$
	$2.1 \times 10^{-16} = \frac{1}{2} \times 0.67 \times 1.66 \times 10^{-27} \times v^2$
	$v = 6.1 \times 10^5 \text{ m s}^{-1}$
6(c)(i)	number of electrons = 88
6(c)(ii)	(number of nucleons = $228 - 5 \times 4 = 208$)
	number of protons = $88 - (5 \times 2) + 4$ = 82
	number of neutrons = $208 - 82 = 126$ = 126

1	Defining the problem
	vary r and measure v or r is the independent variable and v is the dependent variable
	keep x <u>constant</u>
	Methods of data collection
	labelled diagram of workable experiment including: - one end of spring resting against block clamped to bench using G-clamp - light gate positioned at P - light gate connected to timer - apparatus shown on bench - labels for light gate and P and at least one other label from bench, block, stand, spring, ball, timer
	method to determine r , e.g. use calipers or micrometer to measure diameter d and $r = d / 2$
	description of method to determine v , use diameter of ball (to interrupt beam) $\div$ measured time at light gate positioned at P
	instrument to determine x , e.g. rule(r) or calipers
	Method of Analysis
	plot a graph of $(2 \lg v)$ or $(\lg v^2)$ against $\lg r$ or plot a graph of $(\lg v)$ against $(\lg r)$ or equivalent, e.g. $(\ln v)$ against $(\ln r)$
	$n = -\text{gradient}$ for $(2 \lg v)$ or $(\lg v^2)$ against $\lg r$ or $n = -2 \times \text{gradient}$ for $(\lg v)$ against $\lg r$

1	$Y = \frac{\rho \times 10^{y\text{-intercept}}}{kx^2}$ for (2 lg v) or (lg v^2) against lg r or $Y = \frac{\rho \times 10^{2 \times y\text{-intercept}}}{kx^2}$ for (lg v) against lg r
	Additional detail including safety considerations
D1	precaution to <u>prevent ball leaving bench</u> , e.g. screens around apparatus / cushions on bench (to stop the ball)
D2	keep k and ρ constant
D3	description of method to determine k , e.g. add mass to spring and $k = mg$ / extension or use newton meter to measure force applied to spring and $k = \text{force} / \text{extension}$ or take several readings of force and extension, plot a force–extension graph and $k = \text{gradient}$
D4	description of experimental method to determine ρ , e.g. measure mass of ball using a balance and $\rho = \frac{m}{\frac{4}{3}\pi r^3}$
D5	repeat measurements of <u>diameter</u> or <u>d</u> in different directions <u>and</u> determine the average value of d
D6	method to keep x constant, e.g. use a pin / ruler / card to indicate the starting point each time <u>to keep x constant</u>
D7	$x = \text{original length of spring} - \text{compressed length of spring}$
D8	adjust (vertical) position of light gate so that the diameter of (each) ball cuts the beam
D9	repeat experiment for the same value of r and determine the average v

1	D10 relationship valid <u>if</u> a straight line is produced (with y -intercept = $\lg\left(\frac{Ykx^2}{\rho}\right)$ or $\frac{1}{2}\lg\left(\frac{Ykx^2}{\rho}\right)$). Do not accept line through the origin.
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Multiple Choice Answers

Q12: D

Multiple Choice Answers

Q16: A