

2	$\text{est } (\mu) = 499.5 \text{ or } 29970/60$
	$\text{est } (\sigma^2) = \frac{60}{59} \left(\frac{14970300}{60} - '499.5'^2 \right) \text{ or } 1/59(14970300 - (29970)^2/60)$
	$= 4.83 \text{ or } 285/59$
	$H_0: \text{Pop mean (or } \mu) = 500$ $H_1: \text{Pop mean (or } \mu) \neq 500$
	$\frac{'499.5' - 500}{\frac{\sqrt{4.83}}{\sqrt{60}}}$
	$= -1.762$
	$'1.762' < 1.96 \text{ or } -'1.762' > -1.96$ $0.0390 > 0.025$
	There is insufficient evidence that [mean] mass is not 500g
5(a)	$P(X \leq 2) = 0.8^{40} + 40 \times 0.8^{39} \times 0.2 + {}^{40}C_2 \times 0.8^{38} \times 0.2^2$ $= 0.0001329 + 0.0013292 + 0.0064799$
	$= 0.00794 (< 0.025)$
	$P(X \leq 3) = [0.00794 + {}^{40}C_3 \times 0.8^{37} \times 0.2^3]$ $= 0.0079421 + 0.0205199 = 0.0285 > 0.025$
	$P(\text{Type I}) = 0.00794 \text{ (3 sf) with both relevant comparisons seen}$

5(b)	Rejection region is $X \leq 2$
5(c)	H_0 will be rejected Or result lies in the rejection region

4(a)	Assume flaws in cups are independent OR prob of containing a flaw is the same for all cups
	H_0 : P(contains flaw) = 0.18 H_1 : P(contains flaw) < 0.18
	$[P(X \leq 3) =] 0.82^{40} + 40 \times 0.82^{39} \times 0.18 + {}^{40}C_2 \times 0.82^{38} \times 0.18^2 + {}^{40}C_3 \times 0.82^{37} \times 0.18^3$ $= 0.0003569 + 0.0031338 + 0.013414 + 0.037298$
	0.0542 (3 sf)
	$0.0542 > 0.05$
	[Accept H_0] Insufficient evidence to accept factory owners claim. [Insufficient evidence that percentage less than 18%]

4(b)	$np = 7.2$ which is too large, or > 5 . Or $n = 40$ which is not greater than 50. Or $p = 0.18$ which is not small or > 0.1 .
6(a)	Assume sd is still 26 or is unchanged H_0 : Population mean = 736 H_1 : Population mean < 736 $\pm \frac{725-736}{\frac{26}{\sqrt{35}}}$ $= -2.503$ $-2.503 < -2.054$ (or 5 or 6) or $0.0062 < 0.02$ [Reject H_0] There is sufficient evidence that (mean) weekly profit has decreased
6(b)	0.02

6(c)	$\frac{a-736}{\frac{26}{\sqrt{35}}} = -2.054 \text{ or } -2.055$
	$a = 726.973$
	$\frac{'726.973'-718}{\frac{26}{\sqrt{35}}} (= 2.042)$
	$= 1 - \Phi('2.042')$
	$= 0.0203 \text{ to } 0.0207$

3(a)	$\text{Est}(\mu) = \frac{2750}{60} \text{ or } \frac{275}{6} \text{ or } 45.8 \text{ (3 sf)}$
	$\text{Est}(\sigma^2) = \frac{60}{59} \left(\frac{127000}{60} - \left(\frac{275}{6} \right)^2 \right)$
	$= 16.2 \text{ (3 sf) or } \frac{2875}{177}$

3(b)	H_0 : Population mean time = 45 H_1 : Population mean time > 45
	$\frac{\frac{275}{6} - 45}{\sqrt{\frac{16.24294}{60}}}$
	= 1.602 to 1.595
	'1.602' < 1.645
	[Accept H_0] There is insufficient evidence [at 5% level] to reject the company's claim OR There is insufficient evidence to accept the passenger's belief OR There is insufficient evidence that the mean time is more than 45 minutes
6(a)	H_0 : Proportion (at college) owning Pumpkin phone = 0.25 H_1 : Proportion (at college) owning Pumpkin phone < 0.25
6(b)	$B(30, 0.1)$ and $P(X \geq 5)$ attempted
	$1 - (0.9^{30} + 30 \times 0.9^{29} \times 0.1 + {}^{30}C_2 \times 0.9^{28} \times 0.1^2 + {}^{30}C_3 \times 0.9^{27} \times 0.1^3 + {}^{30}C_4 \times 0.9^{26} \times 0.1^4)$ = 1 – (0.042391 + 0.141304 + 0.22766 + 0.236088 + 0.177066)
	= 0.175 (3 sf) accept 0.176
6(c)	$\frac{1}{8} \pm z \sqrt{\frac{\frac{1}{8} \times \frac{7}{8}}{40}}$