

User-Defined Data Types

A-Level Computer Science ■ Topic 13

A-Level Computer Science

name
age
grade

What we will cover

- 1 User-defined types
- 2 File organisation & access
- 3 Hashing
- 4 Floating-point numbers
- 5 Recap

TYPE Vehicle =

M100

M230

T101

T102

T120

T150

MyTaxi may only hold one of these named values

Building your own types

- **enumerated** 枚举: a fixed named list, e.g. (Mon, Tue, Wed)
- **record** 记录: fields of **different** types bundled together
- **pointer** 指针: holds the **address** of another item
- **set** 集合: an unordered collection, no duplicates

A **composite** type is built from others; a **non-composite** one (enumerated, pointer) is not.

a pointer holds an address

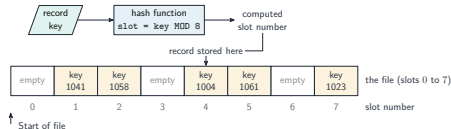


$p^{\wedge}$ dereferences — reach the node's fields, e.g. $p^{\wedge}.Value$

File organisation and access

- **serial**: records in the order added – read from the start
- **sequential**: sorted on a key – still read in order
- **random**: a hash gives **direct** access to any record

Serial and sequential need **sequential access**; a random-organised file allows **direct access** – fast for one record, no sorting kept.

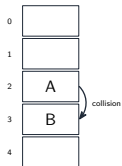


Hashing

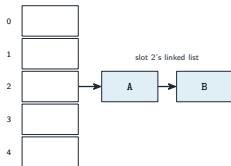
A **hash function** 哈希函数 turns a key into a storage address:

$$\text{address} = \text{hash}(\text{key})$$

linear probing



chaining



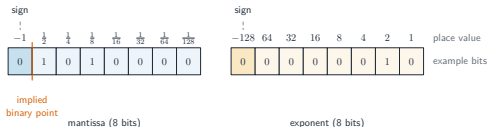
- near-instant lookup, no search
- a **collision** 冲突 (two keys, one address) needs **overflow** or open addressing

A good hash spreads keys **evenly** to keep collisions rare.

Floating-point numbers

A real is stored as a **mantissa** 尾数 and an **exponent** 阶码:

$$\text{value} = \text{mantissa} \times 2^{\text{exponent}}$$



- more mantissa bits $\Rightarrow$ more **precision**
- more exponent bits $\Rightarrow$ more **range**

Normalisation 规格化 maximises precision: the first mantissa bit after the point is significant (0.1... for positives).

Worked example – normalising

Normalise the positive fraction 0.0101 (mantissa) with its exponent.

Shift left until it reads 0.1 . . . :

$$0.0101 \rightarrow 0.101 \times 2^{-1}$$

mantissa 0.101, exponent -1

Each left shift subtracts one from the exponent. A normalised positive always starts 0.1; a negative starts 1.0.

Topic 13 – key takeaways

1 Types

enumerated, record, pointer, set

2 Files

serial, sequential, random (direct)

3 Hashing

key $\rightarrow$ address; watch collisions

4 Float

mantissa $\times 2^{\text{exp}}$; normalise for precision

Check yourself

- 1 Which file type gives direct access?
- 2 What is a hash collision?
- 3 More mantissa bits: range or precision?
- 4 How does a positive normalised value start?

before	0.0011010	exponent 4 (two wasted leading zeros)
	↓	shift left 2, exponent - 2
after	0.1101000	exponent 2 (normalised — same value)

Answers 1. random 2. two keys, one address 3. precision 4. 0.1...